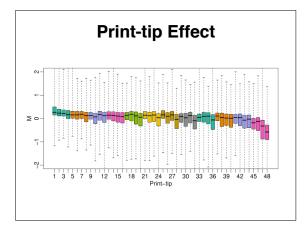
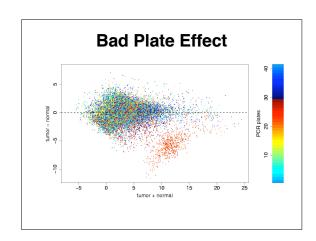
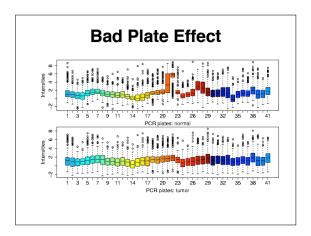
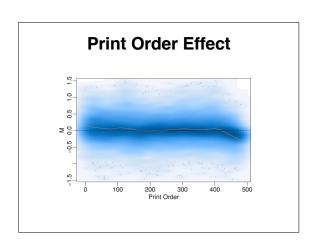
### Quality Assessment Credit for some of today's materials: Ben Bolstad

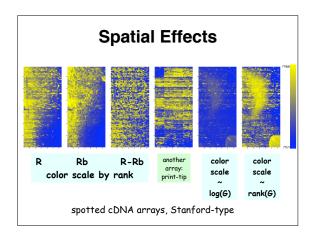
### **Exploratory Data Analysis**

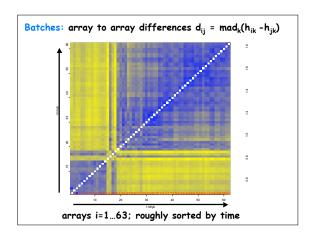










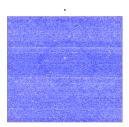


### Affymetrix Chips

Images of probe level data	
16	
This is the raw data	
Images of probaloval data	
Images of probe level data	
•	
	-
Log scale version much more informative	

# Residuals (or weights) from probe level model fits show problem clearly

### Images of probe level data



Here is a more subtle artifact. Can you see it? The strong probe effect does not let you.

### QC from probe level models

- · RMA fits a probe level model
- · From these fits we can obtain residuals
- We can also get weights if we use formal robust regression procedures instead of median polish
  These probe-level residuals and summaries of their size can be
- used for quality control
- Software available: affyPLM Bioconductor package (Ben Bolstad)

### Using the robust fit

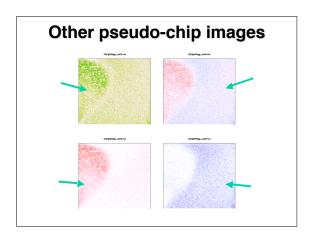
· Assume additive model

 $\log_2 y_{ij} = \mu_i + \alpha_j + \varepsilon_{ij}$ 

- · Estimate mu gives RMA
- · Use M-estimators
- To avoid showing the variability introduced by expression and probe effect we plot the residuals
- · We can also plot the weights used by the regression

## Images of probe level data Here is a more subtle artifact. Can you see it? The strong probe effect does not let you.

# Images of probe level data



### Can we report summaries?

### **RLE**

- Relative Log expression simply makes boxplots of the log expression - median across chip for all genes
- · Notice this is not specific to RMA

### **NUSE**

Normalized Unscales Standard Errors

$$\hat{\mu}_i = \sum_j y_{ij} \, \cdot \, \frac{w_{ij}}{W_i} \quad \text{ and } \quad SE(\hat{\mu}_i) = \frac{\hat{\sigma}}{\sqrt{W_i}}.$$

$$NUSE(\hat{\mu}_i) = \frac{USE(\hat{\mu}_i)}{\mathrm{Median}_t\{USE(\hat{\mu}_n)\}} = \frac{1}{\sqrt{W_i}} \bigg/ \mathrm{Median}_n \bigg\{ \frac{1}{\sqrt{W_n}} \bigg\}.$$

$$NUSE(\hat{\mu}_i) \approx \frac{1}{\sqrt{W_i}} \left/ \frac{1}{\mathrm{Median}_n \{ \sqrt{W_n} \}} = \frac{\mathrm{Median}_n \{ \sqrt{W_n} \}}{\sqrt{W_i}} = \left( \frac{\sqrt{W_i}}{\mathrm{Median}_n \{ \sqrt{W_n} \}} \right)^{-1}$$

